



# Heat Transfer Enhancement and Flow Structure in Heat Exchanger Tube By Using In-Line And Staggered Discrete Ribs Arrangements

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## Abstract

In the present study, a numerical study is performed to one plain and six circular tubes with discrete ribs in two arrangements; in-line and staggered. Air is used as a working fluid at  $3,600 \leq Re \leq 16,525$ . The number of ribs is changed from 4 to 12 to study its effect on heat transfer rate (HTR) and pressure drop ( $\Delta P$ ). PEC is performed to estimate the thermal hydraulic efficiency (THE) for the all test tubes. The flow phenomena and temperature contours are shown to illustrate the temperature distribution and vortices.

## ملخص البحث

في هذا البحث، تم إجراء دراسة عددية لانبوب دائري أملس بالإضافة لعدد ستة أنابيب مزودة بنتونات مرتبة على صف واحد و صف متداخل. تم استخدام الهواء داخل الانبوب عند عدد رينولدز ما بين 3,600 الي 16,525. تم تغيير عدد النتونات من 4 الي 12 لدراسة تأثير تغيير العدد على معدل انتقال الحرارة وفقد الضغط. معامل تقييم الاداء تم استخدامه لدراسة الكفاءة الهيدروحرارية لجميع الانابيب المستخدمة في الدراسة. تدريج درجة الحرارة وشكل السريان داخل الانابيب تم عرضه بشكل واضح لتوضيح شكل الدومات المتكونة حول النتونات بالإضافة الي توزيع الحرارة داخل الانبوب.

## Keywords

Ribs, Heat transfer enhancement, Vortices, CFD

## Nomenclature

A	Tube inside surface area, m <sup>2</sup> .	Re	Reynolds number.
c <sub>p</sub>	Air specific heat at constant pressure, J/kg. K.	T	Temperature.
d	Tube inner diameter, m.	u	Average air velocity, m/s.
e	Rib depth, m.	$\Delta P$	Pressure drop, Pa.
f	Friction factor.	$\rho$	Density, kg/m <sup>3</sup> .
h	Heat transfer coefficient, W/m <sup>2</sup> K.	$\mu$	Air dynamic viscosity, Pa. s
L	Tube length, m.	<b>Subscripts</b>	
m	Air mass flow rate, kg/s.	i	Inlet.
N	Peripheral ribs number	o	Outlet.
Nu	Nusselt number.	s	Surface.
PEC	Performance evaluation criteria.	b	Bulk.
p	Rip pitch, m.	0	Reference tube (plain tube).
Q	Heat transfer rate in the tube, W.		

## 1. Introduction

Heat exchangers can be found in a lot of engineering applications; such as chemical industries and refrigeration. So, the heat transfer enhancements are very important to reduce their size and cost. Active and passive techniques are a common technique that used in heat transfer enhancement. Active technique depending on the external power source while the passive one can

be performed by two methods; one by making modifications in heat exchanger internal surface such as grooves, while the other is obtained by inserting different tape shapes inside the tube such as coiled-wires and conical rings.

Naphon [1] experimentally, studied the effect of inserting a twisted-tape inside double pipe heat

exchanger on HTR and  $\Delta P$ . Water was used as a working fluid at  $7,000 \leq Re \leq 23,000$ . Results showed that the HTR increased up to three than that for the plain tube. Eiamsa-ard et al. [2] experimentally, studied the effect of inserting full and short length twisted-tape on HTR and  $\Delta P$  by using air as a working fluid at  $4,000 \leq Re \leq 20,000$ . Results showed that the full-length twisted-tape has a higher enhancement efficiency (EE) than that for the short-length one.

Muñoz-Esparza and Sanmiguel-Rojas [3] numerically; investigated the effect of inserting a helically coiled-wire inside the heat exchanger tube on HTR and  $\Delta P$ . Water and water-propylene glycol was selected as a working fluid at  $50 \leq Re \leq 850$ . The HTR increases by 2.5 times than that for the plain tube.

Pethkool et al. [4] experimentally; studied the effect of using a helically-corrugated tube instead of a plain one in the heat exchanger on HTR and  $\Delta P$ . The air was selected as a working fluid at  $5,500 \leq Re \leq 60,000$ . Nusselt number (Nu) and friction factor ( $f$ ) increased up to 3.01 and 2.14 times than that for the plain tube. Bilen et al. [5] performed an experimental study by using air as a working fluid at  $10,000 \leq Re \leq 38,000$  for circular, trapezoidal and rectangular groove shapes. Results showed that the obtained HTR is up to 63%, 58% and 47% for circular, trapezoidal and rectangular groove, respectively than that for the plain one.

Zdaniuk et al. [6] experimentally; studied eight helically-finned tubes and one plain tube using water as a working fluid at  $12,000 \leq Re \leq 60,000$ . The HTR increased by up to 2 times than that for the plain one. Zheng et al. [7-11] numerically; studied the effect of discrete ribs and grooves as inclined or straight orientation on Nu and  $f$  at  $6,800 \leq Re \leq 20,340$ . Several parameters for ribs/grooves were chosen to study their effect on HTR and  $\Delta P$ . This study showed that ribs gave higher THE than that for grooves or ribs/grooves combinations. Also, inclined ribs or grooves have better THE than that for straight ones. The maximum THE is 2.3 for inclined ribs.

Huang et al. [12] studied, experimentally, the effect of ring-type ribs on HTR and  $\Delta P$ . Air and water were selected as a working fluid at  $3,601 \leq Re \leq 16,525$ . Results obtained from Huang et al. showed that the THE increased by up to 1.5 times than that for the plain tube. Sayed Ahmed et al. [13] showed that the ring type ribs gave higher THE than that for rectangular, triangular and trapezoidal ribs. Results also showed that the ring type ribs gave highest exergy efficiency.

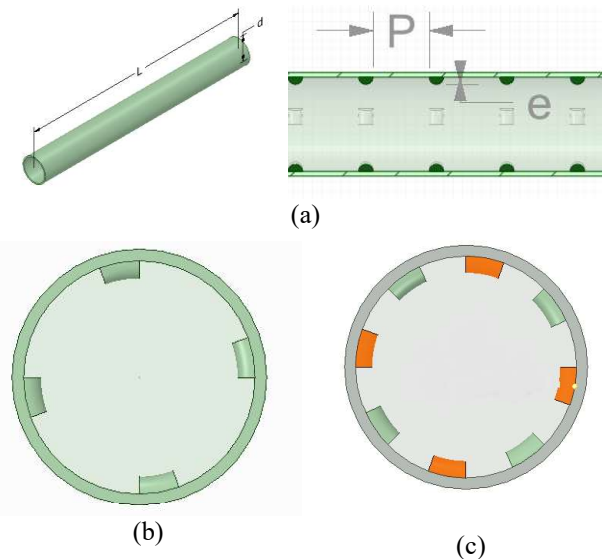
García et al. [14] studied the effect of coiled-wire inserts, corrugated and dimpled tube to investigate its effect on HTR and  $\Delta P$ . They claimed that the plain tube

gave the highest THE at  $Re \leq 200$ . The coiled wire inserts were recommended at  $200 \leq Re \leq 2,000$  while the corrugated and dimpled tubes are recommended at  $Re \geq 2,000$ . Thianpong et al. [15] revealed that both heat transfer coefficient ( $h$ ) and  $f$  in the dimpled tube fitted with the twisted tape, were higher than those in the dimple tube acting alone and the plain tube.

## 2. Model description

The present numerical study is performed on six ribbed tubes and one plain tube. The tested tubes are 1.08 m length ( $L$ ), 13.8 mm inner diameter ( $d$ ) and 2 mm rib width. The rib-depth to tube-inner-diameter ratio ( $e/d$ ) is 0.069 and pitch to tube inner-diameter ratio ( $p/d$ ) is 1.45 while the peripheral ribs numbers ( $N$ ) are 4,8,12. In-line and staggered arrangements are used to arrange the ribs along the tested tubes. Air is used as a working fluid and entering the tube at 298K with  $3,600 \leq Re \leq 16,525$ .

A constant surface temperature equal to 373K is applied to the surface of the tested tubes. **Figure 1** shows the schematic drawing of the tested tubes.



**Fig. 1** schematic drawing for the test tube: (a) tube dimensions (b) In-line arrangement (c) staggered arrangement.

## 3. Data reduction

The correlations that used to obtain  $Re$ ,  $h$ ,  $Nu$ ,  $f$  and  $PEC$  are listed below:

$$h = \frac{Q}{A_s (T_s - T_b)} = \frac{m \dot{c}_p (T_o - T_i)}{(\pi d L) (T_s - T_b)} \quad (1)$$

$$Nu = \frac{h \times d}{k} \quad (2)$$

$$f = \frac{2 \times \Delta P \times d}{\rho \times L \times u^2} \quad (3)$$

$$Re = \frac{\rho \times u \times d}{\mu} \quad (4)$$

$$PEC = \frac{(Nu / Nu_0)}{(f / f_0)^{1/3}} \quad (5)$$

#### 4. Numerical model

The commercial CFD software ANSYS Fluent 17.0 [16] is applied to perform this numerical analysis. ANSYS design modular is used to generate a mesh for all tested tubes. A mesh independence solution is performed to ensure that the solution does not change with mesh changing. Figure 2 shows the mesh shape for in-line tested tube as a sample of mesh. Boundary layer mesh is used near the tube wall and the tape inserts to confirm that the dimension of the first cell next to the walls to get high accuracy results as recommended in [17-18].

The selection of an appropriate turbulence model is a serious part of the solution accuracy. The RNG k- $\epsilon$  model and Realizable k- $\epsilon$  model are two common turbulence models in heat transfer applications. These two models are considered to investigate the numerical solution for Nu and  $f$ . Experimental results, obtained from [12], are employed to make a comparison with numerical ones obtained from these turbulent models. Figure 3 illustrates the numerical and experimental validation results for Nu and  $f$ . It also shows that the RNG k- $\epsilon$  model gave an approximate result to experimental ones.

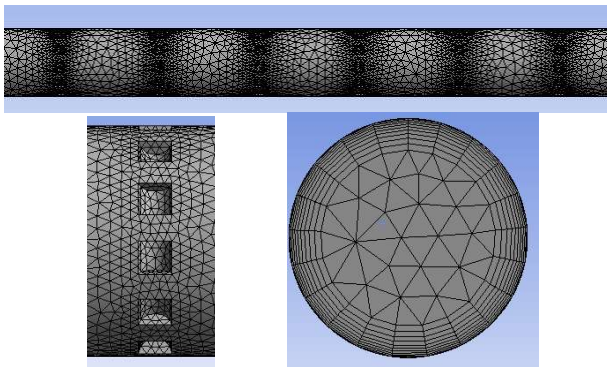


Fig. 2 Mesh shape for the test tubes.

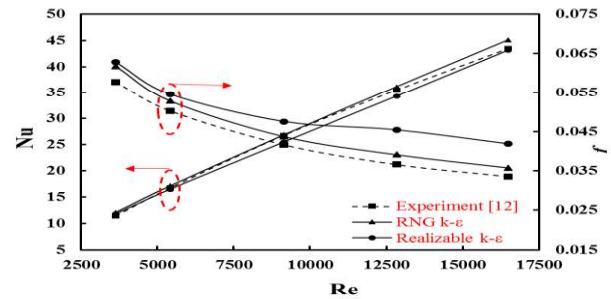


Fig. 3 Experimental and numerical validation results for Nu and  $f$ .

The flow field is governed by the 3D Reynolds averaged Navier-Stokes (RANS) equations. There are some assumptions are suggested to simplify these equations. These assumptions are that the heat transfer and fluid flow processes are steady-state and turbulent. Also, the heat loss to the environment is neglected. The governing equations are:

- Continuity

$$\frac{\partial}{\partial x_j} (\rho U_j) = 0.0 \quad (6)$$

- Momentum

$$\frac{\partial (\rho \overline{u_i u_j})}{\partial x_j} = -\frac{\partial p}{\partial x_i} + \frac{\partial}{\partial x_j} \left( \mu \left( \frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i} \right) \right) - \frac{\partial (\rho \overline{u_i u_j})}{\partial x_j}$$

- Energy equation

$$\frac{\partial}{\partial x_j} (u_j (\rho e + p)) = \frac{\partial}{\partial x_j} \left( k \frac{\partial T}{\partial x_j} \right) \quad (8)$$

where  $i$  is a tensor indication 1 and 2 and  $k$  is the fluid effective thermal conductivity.

The k- $\epsilon$  (RNG) turbulence model, where turbulent viscosity  $\mu_t$  is predicted with enhanced wall functions for the near wall treatment, is employed as following:

$$\frac{\partial}{\partial x_j} (\rho k u_i) = \frac{\partial}{\partial x_j} \left( \left( \mu + \frac{\mu_t}{\sigma_k} \right) \frac{\partial k}{\partial x_j} \right) + P_k - \rho \epsilon \quad (9)$$

$$\frac{\partial}{\partial x_j} (\rho \epsilon u_i) = \frac{\partial}{\partial x_j} \left( \left( \mu + \frac{\mu_t}{\sigma_\epsilon} \right) \frac{\partial \epsilon}{\partial x_j} \right) + C_{1\epsilon} \frac{\epsilon}{k} P_k - C_{2\epsilon} \rho \frac{\epsilon^2}{k}$$

where  $k$  and  $\epsilon$  represent as the fluid turbulent kinetic energy and the dissipation rate of turbulent kinetic energy, respectively

The boundary conditions applied to the all tested tubes are shown in Fig. 4. Uniform velocity was applied to the tube inlet based on  $3601 \leq Re \leq 16523$  and pressure outlet is applied to the tube outlet. A constant temperature is applied to the surface of the tested tubes. The minimum convergence criterion is set to  $10^{-5}$  for the continuity, momentum and turbulence equations. However, it is set to  $10^{-8}$  for the energy equation for more accurate temperature calculations.



Fig. 4 Boundary conditions applied for the all tested tubes.

5. Results and Discussion

Numerical data obtained from simulation is validated with experimental ones obtained from [12]. Figure 5 shows the experimental and numerical validation data for  $Nu$  and  $f$ . This figure shows that numerical results are agreed with the experimental ones, within  $\pm 3\%$  and  $\pm 6\%$  for  $Nu$  and  $f$ , respectively. As shown in this figure, with increasing in  $Re$  the  $Nu$  increases but  $f$  decreases.

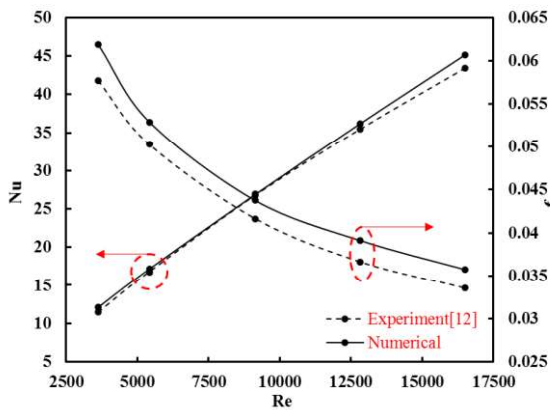


Fig. 5 Validation between experimental [12] and numerical data for plain tube.

The first numerical study is performed in an in-line arrangement for the ribs. Figure 6 shows the variation of  $Nu$  and  $f$  against  $Re$ . As shown in this figure  $Nu$  increases but the  $f$  decreases with  $Re$  increasing. The highest  $Nu$  and  $f$  are occurring for the tube with  $N=12$  that mean the higher HTR and  $\Delta P$ . So, the PEC is obtained for the tested tubes to assign the tube with higher THE. Figure 7 shows the variation of PEC with  $Re$ . The tube with  $N=4$  has a higher THE. The PEC value decreases with increase in  $Re$ .

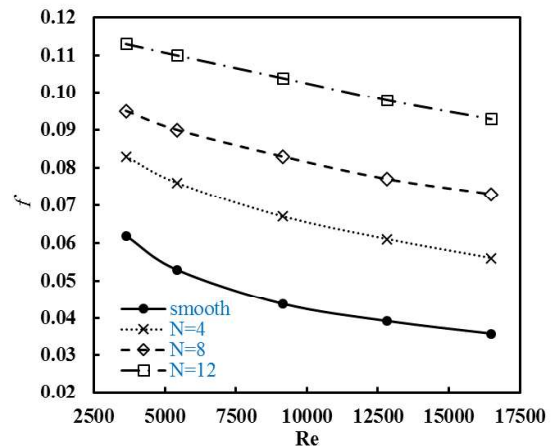
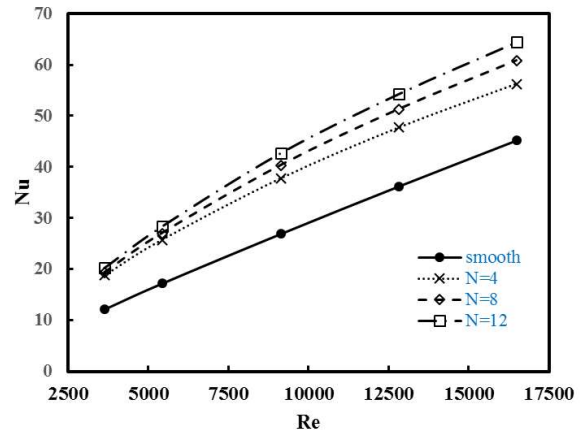


Fig. 6 Validation of  $Nu$  and  $f$  against  $Re$  for the in-line arrangement.

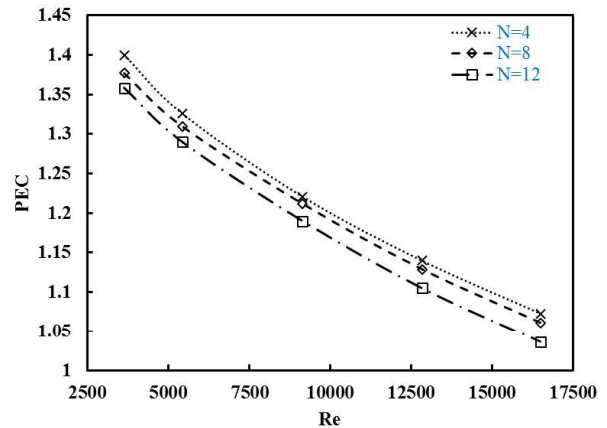


Fig. 7 The PEC values at different  $Re$  for the in-line arrangement.

The second numerical study is performed in a staggered arrangement for the ribs. Figure 8 shows the variation of  $Nu$  and  $f$  vs  $Re$ . As shown in this figure  $Nu$  increases but  $f$  decreases with  $Re$  increasing. The highest values of  $Nu$  and  $f$  are occurring for the tube with  $N=12$  that mean the higher HTR and  $\Delta P$ . So, PEC is obtained for the tested tubes to determine the tube with higher thermal hydraulic efficiency. Figure 9 shows the



variation of PEC with Re. The tube with N=4 has a higher thermal hydraulic efficiency and the PEC value decrease with increase in Re.

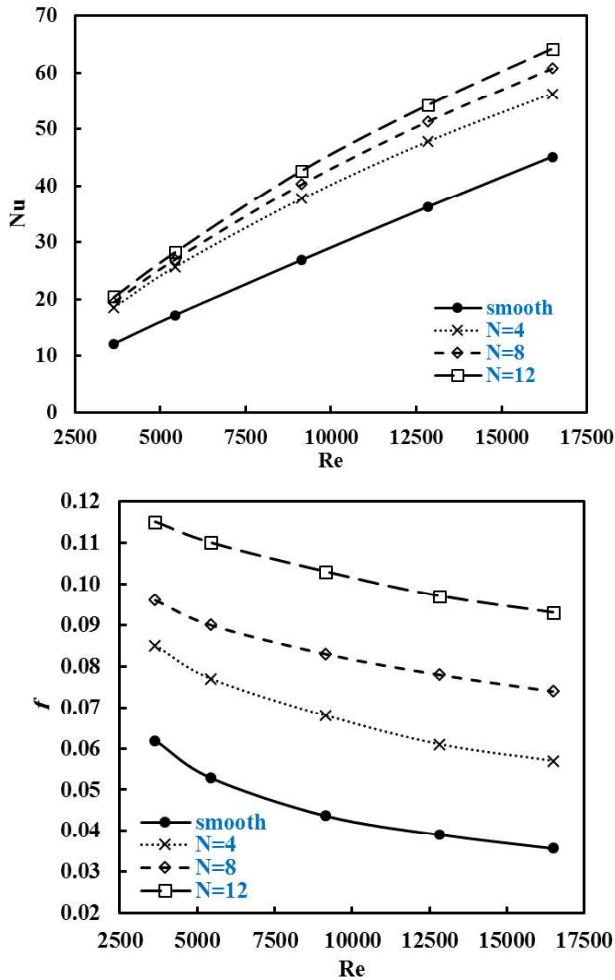


Fig. 8 Nu and *f* at different Re for staggered arrangement

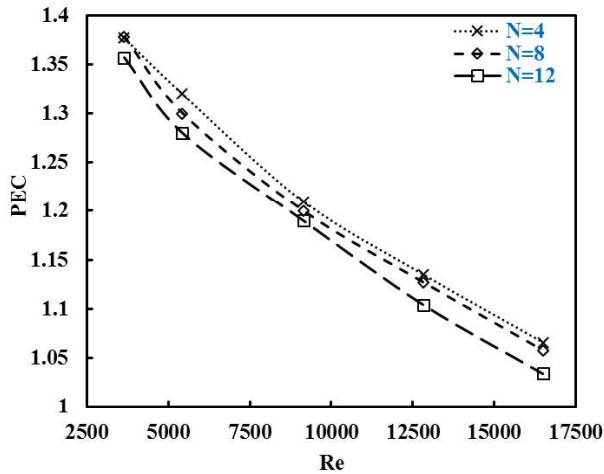


Fig. 9 The PEC values at different Re for staggered arrangement.

After performing the numerical study for two discrete ribs arrangements and obtaining the THE. It is important to determine which arrangement gives the highest THE. Figure 10 shows which arrangement gives the highest THE. As shown from this figure the staggered arrangement gives slightly higher PEC than that for the in-line one.

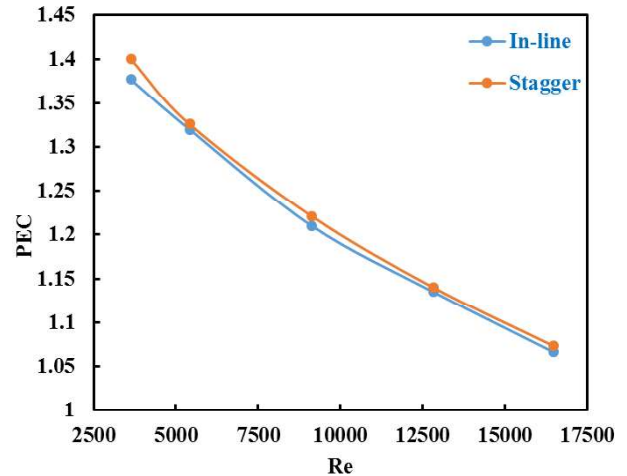


Fig. 10 Comparison between in-line and staggered arrangements at N=4.

Temperature and velocity contours with flow streamlines are represented for the tested tubes. All temperature and velocity contours as well as streamlines represented at Re=12,833. Figures 11 and 12 show the temperature contours for in-line and staggered arrangements at N=4, respectively. It is clear from these figures that the temperature increases from the tube surface to the tube core. Ribs cause flow disturbance that enhances the mixing between the cold and hot fluid. There is no huge difference between in-line and staggered arrangements in temperature contours.

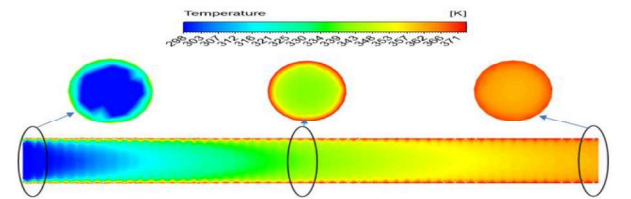


Fig. 11 Temperature contours for the tube with the in-line arrangement at inlet, outlet and mid-sections.

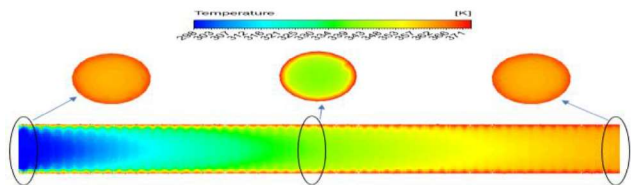
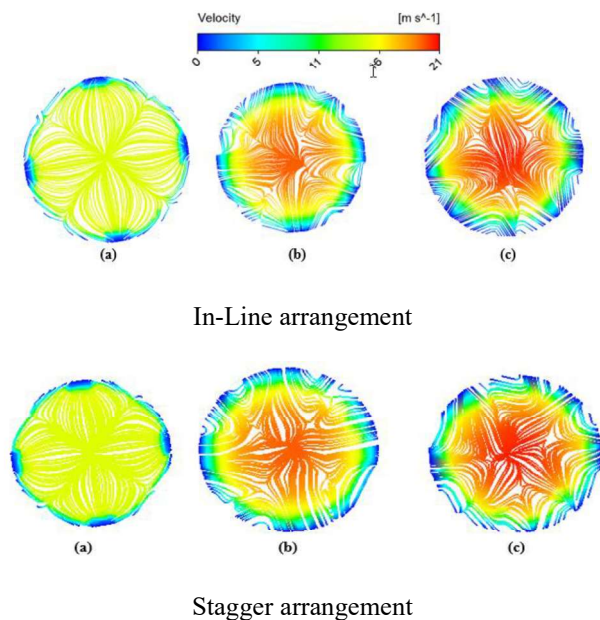


Fig. 12 Temperature contours for the tube with the staggered arrangement at inlet, outlet and mid-sections.

Figure 13 shows the velocity contours at two arrangements. As shown in this figure there are a lot of vortices. These vortices cause disturbance to the flow and discontinuity in the hydraulic boundary layer. This leads to the enhancements in HTR but increase  $\Delta P$ .



**Fig. 13** Velocity contours for the two arrangements.

## 6. Conclusions

In the present work, a numerical study is performed on a plain tube, three in-line discrete ribbed tubes and three stagger discrete ribbed tubes using the RNG  $k-\epsilon$  turbulence model with enhanced wall treatments. The  $Nu$ ,  $f$  and  $PEC$  characteristics of all tested tubes are investigated. Temperature and velocity contours are presented.

Results of this work are summarized as: -

- $Nu$  and  $f$  increase with increasing in ribs number.
- The increasing in  $Re$  led to increase in  $Nu$  but decrease in  $f$ .
- The tubes with  $N=4$  in staggered or in-line arrangements have a higher  $PEC$ .
- The heat transfer increases up to 150-200% and friction factor increase up to 190-250%.
- Max  $PEC$  is 1.4 for stagger arrangement.
- Stagger arrangement better than in-line arrangements.

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