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## EDGE DETECTION ENHANCED TECHNIQUE OF SATELLITE IMAGES USING DESIGN DIGITAL FILTER

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## ABSTRACT

Most image's interpreters are concerned with recognizing linear features in images. For geological purposes, faults, joints, features, dykes and geological contacts are the main linear features which must be interpreted. The linear features are formed by edges, where some edges are marked by pronounced differences in brightness and become ready recognized. This paper deals with satellite image edge detection techniques. Edge detection is the name for a set of mathematical methods which aim at identifying points in a satellite image at which the image brightness changes sharply or, more formally, has discontinuities. These points are typically organized into a set of curved line segments termed edges. Important features can be extracted from the edges of an image (e.g., corners, geological boundary, linesand curves). In this paper, a novel edge detection technique which computes edges of satellite image using two dimensional (2D) design digital filter is presented and applied on Gabal Gattar granitic batholith to enhance boundaries between granite and surrounded rocks in one hand, and between the granitic phases on another hand, as well as, enhance the shape of granitic masses, and faults, dykes, fractures cutting them. Here the proposed methodology is compared with other edge detectors. Filters (Sobel, Roberts, Prewitt, Canny and Log filters) as applied on G. Gattar granitic mass. This study reveals that the new proposed (Raafat filter) portery the contacts and linear features more obvious than the other operators.

## INRTODUCTION

Edge detection is a fundamental tool in image processing, image analysis and image pattern recognition, particularly in the areas of feature detection and feature extraction. Generally, due to the variation of image features such as brightness, edges can be recognized. Mainly the edges are indication of the discontinuities of image intensity function. In image processing, edges give valuable and very important information towards human image understanding. Edge detection has become very serious challenge to the scientist as well as researchers related to image processing.

Contrast enhancement many emphasize

brightness difference associated with some features, but this procedure is not specific for linear features because elements of the scene are enhanced equally, not just the linear elements. Edge enhancement image attempt to presence both local contrast and low frequency brightness information. They are produces by adding back all or a portion of the gray levels in the original image to a high frequency component image of the same scene (Lillsand and Kiefer, 2000). The main objective of edge detection is to indicate the points in a digital image where the luminous intensity changes very sharply. Due to sharp changes in image properties, it reflects the valuable events and changes in several properties. For discontinuities, there could be a number of reasons, such as lighting conditions, type of material surface, texture, object geometry etc., and their mutual interaction. Edge detection methodology is a process of detection of this type of discontinues in an image. Generally, the implementation of derivative operator on intensity image generates another image, which is called as gradient image due to its rate of intensity variation. The major structural properties can be represented in a transparent manner of an image due to the edge detection mechanism. Many methods can be implemented for edge detection. There are many traditional operators such as Sobel operator, Prewitt operator, Laplacian of Gaussian operator, Canny operator and Robert operator which are used for edge detection of images.

## **METHODOLGY**

Edge enhancement is implemented, firstly, produced a high frequency component image containing the edge information followed by added back all or a fractures of gray level in each pixel of the original scene to the high frequency component image. The final image containing local contrast enhancement of high frequency features (Lillsand and Kiefer, 2000). Some linear features occurred as narrow linear against a background, while linear contrast is located between adjacent areas of different brightness in images. These linear features are formed by edges. In images, some edges are easily recognized due to their pronounced differences in brightness, while other which marked by suble brightness differences are difficult to recognize. Digital filters have been developed specifically to enhance edges in image. These filters fall into two categories, directional and non-directional filters (Sabin, 1996).

Directional filters aimed at emphasizing edges in image data. It is procedure that systematically compare each pixel in an image to one of its immediately adjacent neighbors and displays the difference in terms of gray levels of an output image. This process is mathematically akin to determining the first derivative of gray levels with respect to a given direction (horizontal, vertical and diagonal) (Lillsand and Kiefer, 2000). In order to design the 2D digital filter, we used a second order polynomial as follows:

## Second Order Polynomial

Suppose that, we have 5x5 data points and wish to fit the observed data, in some sense, by the following polynomial:

$$a_{00} + a_{10}x + a_{01}y + a_{11}xy + a_{20}x^{2} + a_{02}y^{2} = F(x, y)$$
(1)

where  $a_{00}$ ,  $a_{10}$ ,  $a_{01}$ ,  $a_{11}$ ,  $a_{20}$ , and  $a_{02}$  are the coefficients to be determined. The computations for the above procedure can be relatively easy, if the potential field data function  $F(x_i, y_i)$  for each value of x and y where, the x's and y's are equally spaced and arranged symmetrically around the calculation point i.e.  $x_i=-2$ , -1, 0, 1, 2 and  $y_i=-2$ , -1, 0, 1, 2 such that  $\sum_{x_i} x_i = 0$  and  $\sum_{x_i} y_i = 0$ 

The variables of equation (1) are the coefficients  $a_{00}, a_{10}, a_{01}, a_{11}, a_{20}$ , and  $a_{02}$  of the plane. To find a minimum, we naturally differentiate with respect to  $a_{00}, a_{10}, a_{01}, a_{11}, a_{20}$ , and  $a_{02}$  then set the resulting expressions equal to zero. This process (normalization) gives the following equations:

$$a_{00}n + a_{10}\sum x + a_{01}\sum y + a_{11}\sum xy + a_{20}\sum x^2 + a_{02}\sum y^2 = \sum F$$
(2)

$$a_{00}\sum x + a_{10}\sum x^2 + a_{01}\sum xy + a_{11}\sum x^2y + a_{20}\sum x^3 + a_{02}\sum^{x}x^{y}^2 = \sum Fx$$
(3)

$$a_{00}\sum y + a_{10}\sum xy + a_{01}\sum y^{2} + a_{11}\sum xy^{2} + a_{20}\sum x^{2}y + a_{02}\sum y^{3} = \sum Fy$$
(4)

$$a_{00}\sum_{x^{2}}x^{2} + a_{00}\sum_{x^{3}}x^{3} + a_{01}\sum_{x^{2}}x^{2}y + a_{11}\sum_{x^{2}}x^{3}y + a_{20}\sum_{x^{4}}x^{4} + a_{02}\sum_{x^{2}}x^{2}y^{2} = \sum_{x}Fx^{2}$$

$$\mathbf{5}$$

$$a_{00} \sum xy + a_{10} \sum x^2 y + a_{01} \sum x^2 y^2 + a_{11} \sum x^2 y^2 + a_{22} \sum x^3 y + c \mathbf{G}_{\mathbf{j}} \sum x^3 = \sum Fxy$$
(6)  
$$a_{00} \sum y^2 + a_{10} \sum xy^2 + a_{01} \sum \mathbf{J}_{\mathbf{j}}^{\mathbf{j}} + a_{11} \sum xy^3 + a_{20} \sum x^2 y^2 + a_{22} \sum y^4 = \sum Fy^2$$
(7)

$$\mathbf{G}_{\mathbf{x}} = 0, \quad \sum_{x=0}^{n}, \quad \sum_{y=0, \sum x^2 = 50, \sum y^2 = 50, \sum xy = 0, \sum xy = 0, \sum x^2 = 50, \sum x^2 = 50, \sum xy = 0, \sum xy$$

 $\sum x^2 y = 0, \quad \{ \sum x^3 y = 0, \quad \sum x^2 y = 0, \quad \sum x^3 y = 0, \quad \sum x^3 y = 0, \quad \sum x^4 = 170, \\ \sum x^2 y^2 = 10 \quad \{ \sum x^3 x^3 \overline{G_y} 0, \quad \sum y^4 = 170. \\ \text{Substituting in the above set of simultaneous equation, we get:}$ 

- $(25)a_{00} + (0)a_{10} + (0)a_{01} + (0)a_{11} + (50)a_{20} + (50)a_{02} = \sum F$  (8)
- $(0)a_{00} + (50)a_{10} + (0)a_{01} + (0)a_{11} + (0)a_{20} + (0)a_{02} = \sum Fx \quad (9)$
- $(0)a_{00} + (0)a_{10} + (50)a_{01} + (0)a_{11} + (0)a_{20} + (0)a_{02} = \sum Fy \qquad (10)$

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 $(50)a_{00} + (0)a_{10} + (0)a_{01} + (0)a_{11} + (170)a_{20} + (100)a_{02} = \sum Fx^2 \qquad (11)$ 

$$(0)a_{00} + (0)a_{10} + (0)a_{01} + (100)a_{11} + (0)a_{20} + (0)a_{02} = \sum Fxy$$
 (12)

 $(50)a_{00} + (0)a_{10} + (0)a_{01} + (0)a_{11} + (100)a_{20} + (170)a_{02} = \sum Fy^2 \qquad (13)$ 

From equations (8)-(13), we get that the values of the coefficients  $a_{00}, a_{10}, a_{01}, a_{11}, a_{20}$ , and  $a_{02}$  of the plane are:

 $a_{00} = \left(\sum_{i} F - (50)a_{20} - (50)a_{02}\right)/25$ 

 $a_{10} = \sum Fx/50, a_{01} = \sum Fy/50, a_{11} = \sum Fxy/100, a_{20} = \left(\sum Fx^2 - (2)\sum F\right)/70 \text{ and}$  $a_{02} = \left(\sum Fy^2 - (2)\sum F\right)/70.$ 

So, finally we find that the digital filter takes the following form:

$$a_{00} = \begin{bmatrix} -0.074 & 0.011 & 0.04 & 0.011 & -0.074 \\ 0.011 & 0.097 & 0.126 & 0.097 & 0.011 \\ 0.04 & 0.126 & 0.154 & 0.126 & 0.04 \\ 0.011 & 0.097 & 0.126 & 0.097 & 0.011 \\ -0.074 & 0.011 & 0.04 & 0.011 & -0.074 \end{bmatrix} F_{ij}$$
(14)

$$a_{10} = \begin{vmatrix} -0.04 & -0.04 & -0.04 & -0.04 & -0.04 \\ -0.02 & -0.02 & -0.02 & -0.02 & -0.02 \\ 0 & 0 & 0 & 0 & 0 \\ 0.02 & 0.02 & 0.02 & 0.02 & 0.02 \\ 0.04 & 0.04 & 0.04 & 0.04 & 0.04 \end{vmatrix} F_{ij} (15)$$

$$a_{01} = \begin{bmatrix} -0.04 & -0.02 & 0 & 0.02 & 0.04 \\ -0.04 & -0.02 & 0 & 0.02 & 0.04 \\ -0.04 & -0.02 & 0 & 0.02 & 0.04 \\ -0.04 & -0.02 & 0 & 0.02 & 0.04 \\ -0.04 & -0.02 & 0 & 0.02 & 0.04 \end{bmatrix} F_{ij}$$
(16)

$$a_{11} = \begin{bmatrix} 0.04 & 0.02 & 0 & -0.02 & -0.04 \\ 0.02 & 0.01 & 0 & -0.01 & -0.02 \\ 0 & 0 & 0 & 0 & 0 \\ -0.02 & -0.01 & 0 & 0.01 & 0.02 \\ -0.04 & -0.02 & 0 & 0.02 & 0.04 \end{bmatrix} F_{ij} (17)$$

$$a_{20} = \begin{bmatrix} 0.029 & 0.029 & 0.029 & 0.029 & 0.029 \\ -0.014 & -0.014 & -0.014 & -0.014 & -0.014 \\ -0.029 & -0.029 & -0.029 & -0.029 & -0.029 \\ -0.014 & -0.014 & -0.014 & -0.014 \\ 0.029 & 0.029 & 0.029 & 0.029 & 0.029 \end{bmatrix} F_{ij}$$
(18)

$$a_{02} = \begin{vmatrix} 0.029 & -0.014 & -0.029 & -0.014 & 0.029 \\ 0.029 & -0.014 & -0.029 & -0.014 & 0.029 \\ 0.029 & -0.014 & -0.029 & -0.014 & 0.029 \\ 0.029 & -0.014 & -0.029 & -0.014 & 0.029 \\ 0.029 & -0.014 & -0.029 & -0.014 & 0.029 \end{vmatrix} F_{ij}$$
(19)

If we fit this data by a plane surface polynomial in least-squares sense (equation. (1)), then the first derivative in X direction can be represented by the following equation:

$$F_x = a_{10} + a_{11}y + 2a_{20}x \tag{20}$$

where  $a_{10}$  is the gradient in X direction. By the same manner the first derivative in Y direction could be computed as:

$$F_{y} = a_{01} + a_{11}x + 2a_{02}y \tag{21}$$

where  $a_{01}$  is the gradient in Y direction. The gradient magnitude is given by:

$$\mathbf{G} = \sqrt{\mathbf{a}_{10}^2 \mathbf{a}_{G_{q_{x}}}^2 \mathbf{a}_{01}^2} \tag{22}$$

Formula (22), represents the 2D design digital filte gused to obtain image edges, we named this digital filter 'Raafat filter'.

#### REVIEW OF EDGE DETECTOR OPERATORS

#### **Sobel Operator**

The Sobel operator is based on convolving the image with a small, separable and integer valuated fifter in the horizontal and vertical directions, and therefore is relatively inexpensive in terms of computations. On the other hand, the gradient approximation that it produces is relatively crude, in particular for high Grag Gardian Gardian in the image. A 2D spatial gradient measurement can be imple-



•G., =

$$a_{10}^2 + a_{01}^2$$

 $G = \sqrt{a_{10}^2 + a_{01}^2}$ 

-1 0 +1

**Roberts Operator** 

(Sobel, 1990). The approximate absolute gra-

dient magnitude at each point (pixel) can be

computed using this edge detector. The 3x3

Roberts operator is to approximate

the gradient of an image through discrete

differentiation struck is achieved by computing the sum of the square of the differences

between tliagonally adjacent pixels 2 The re-

sult will highlight changes in intensity in di-

agonal direction =T a Roberts Cross operator

perfor G at Gmple, 2D spatial gradient mea-

surement on an image (Roberts, 1965). Pixel

values  $\frac{1}{122} \frac{1}{122} \frac{1}{12$ 

tial gradient of the input image at that point.

The Roberts operator condists of a pair of 2×2 convolution Rentals given at +1 +1 +1

where  $G_x = \sqrt{G_y^2 + G_y^2}$  are the gradient in the X

Prewitt operator is based on convolving

the image<sup>2</sup> with<sup>2</sup> in the horizontal and integer valuated filter in the horizontal and vertical

directions. The gradient approximation with it produces in relatively crude. Prewitt op-  $\mathbf{G} = \int \mathbf{G}_x^2 + \mathbf{G}_g = \int \mathbf{G}_x^2 + \mathbf{G}_g^2$ 

direction and  $\mathcal{M}_{\mathfrak{s}}$  direction respectively. This is very  $\mathbf{G} = \mathbf{G}_{\mathfrak{s}}^{\mathfrak{s}} + \mathbf{G}_{\mathfrak{s}}^{\mathfrak{s}}$  operator. The gradient magnitude is

 $\mathbf{G} = \sqrt{\mathbf{G}_x^2 + \mathbf{G}_y^2}$ 

 $G_y = 0 0$ 

 $\overline{G}_{y} = \begin{array}{c} 0 - 1 & 1 - 1 \\ -1 & 0 \end{array}$ 

+1

 $G_x = -2 \quad 0 \quad +2$ 

-41 41+41

 $\mathbf{G}_{\mathbf{x}} = -\mathbf{1} \quad \mathbf{Q}_{\mathbf{g}} = + \sqrt{\mathbf{Q}_{\mathbf{x}}^2 + \mathbf{G}_{\mathbf{y}}^2}$ 

 $G_{x} = \frac{1-100}{0} + \frac{1}{1}$ 

Prewitt \_Operator

given by:

+10

> 0 +2**fi** +1





$$\sqrt{\mathbf{G}_x^2 \mathbf{G}_z^2 + \mathbf{G}_y^2 \mathbf{G}_x^2 + \mathbf{G}_y^2}$$

-1	0	+1
G <sub>R</sub> = -1	0	+1
-1	0	+1
$\mathbf{G} = \sqrt{\mathbf{G}_{x}^{2}} +$	- G <sup>2</sup> <sub>y</sub>	

# 208 **G** = $\sqrt{\frac{RA}{a_{49}^2 + a_{62}^2}}$ AFAT M. MOHAMED and AHMED I. KAMEL mented by using Sobel operator on $\Im \overline{n} i \sqrt{\frac{F}{F} \frac{F}{a_{52}} \frac{F}{g_{7}^2}}$ $e_{\Re \overline{n}} \sqrt{\frac{G_{33}^2 + G_{73}^2}{G_{33}^2 + G_{73}^2}}$ $e_{\Re \overline{n}} \sqrt{\frac{G_{33}^2 + G_{73}^2}{G_{33}^2 + G_{73}^2}}$

 $\mathbf{G} = \sqrt{\mathbf{G}_{x}^{2} + \mathbf{G}_{y}^{2}}$ 

 $G_x = \begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix}$ 

 $\mathbf{G} = \int \mathbf{G}_x^2 + \mathbf{G}_y^2$ 

 $G_{x} = \begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix}$ 

efato G's Similar to the Sobel operator and is used for detecting vertical and horizontal edges in image (Prewitt, 1970). The 3x3 Prewitt operator is given as:

 $G_{x} = \begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix}$ 



$$\mathbf{G} = \mathbf{G}_{\mathbf{x}}^2 + \mathbf{G}_{\mathbf{y}}^2$$

## **Canny** Operator

Canny operator not give a good approximation of rotational symmetry and therefore gives bias towards horizontal and vertical edges. This operator is based on three criteria. The basic idea uses a Gaussian function to smooth image firstly (Canny, 1986). The max 41/11/12 vh1ue of first derivative also corfresponds to the minimum of the first derivative. In<sup>2</sup> other words, both points with dramatic change of grayscale (strong edge) and points with slight change of grayscale (weak edges) correspond to the second derivative zero-crossing joint. Thus these two thresholds are used to2detect strong edges and weak edges. The fact that Canny algorithm is not susceptible to noise + interference enables its ability to-defect frue weak edges. Canny defined optional edge finding as a set of criteria that maximize the probability of detecting true edges while minimizing the probability of false edges. To smooth the image, the canny edge detector uses Gaussian convolution, is the spread of the Gaussian and controls the degree of smoothing. The 3x3 Canny operator is given as:

y where  $+\frac{c_{y}}{1}$  and  $-\frac{c_{y}}{1}$  are the gradient in the X direction  $\frac{c_{y}}{1}$  and  $\frac{c_{y}}{1}$  are  $\frac{c_{y}}{1}$  are the gradient in the X magnitude is given by:

$$\mathbf{G} = \sqrt{\mathbf{G}_x^2 + \mathbf{G}_y^2} \quad \mathbf{G} = \sqrt{\mathbf{G}_x^2 + \mathbf{G}_y^2}$$

+1 +2 0 +10 +2 0+ \_0<sub>2</sub> 0\_1

 $G_y = \begin{bmatrix} 0 & 1 \\ -1 & 0 \end{bmatrix}$ 



#### Laplacian of Gaussian (LOG) Operator

The Laplacian is a 2D isotropic measure of the spatial derivative of  $an_1$ image (Saket, 2012). The Laplacian of an inpage highlights regions of apric intensity phange and is therefore often dusted for edge detection. The faplacian is often applied to an image that has first been smoothed with something approximating a Gaussian smoothing filter in order to relate the series of the state of the series of the series for hormally takes a single gray level image as input and produces another gray level image as output. The 3x3 Laplacian operator is given as:



 $\mathbf{G} = \int \mathbf{G}_x^2 + \mathbf{G}_y^2$ 

Laplacian, this filter is mainly used for

corner detection and object recognition.

## APPLICATION OF EDGE ENHANCEMENT FILTERS

Gabal Gattar batholith located at the northern Eastern Desert of Egypt has been chosen as a pilot area for application of edge enhancement process on its digital image. The filters used for edge enhancement are Sobel, Roberts, Prewitt, Canny, Laplacian and the Raafat calculated filter. The results were used to compare between filters.

## Geology of Gabal Gattar

Gabal Gattar area is located to the west of Hurghada town, at a distance of about 35 km between lat. 26° 52' N and 27° 08' N, and Long. 33° 13' E and 33° 26' E (Fig. 1). Gabal Gattar batholith has an oval shape of nearly N-S trend. It shows geological curved and linear contacts with its surrounding rocks. These rocks from older are metasidements, diorrite, older granite, hammamat sediments, younger granites and wadi deposits (Fig. 2). The exposed rocks are mainly of felsic and mafic rocks which greatly different in their mineralogical composition accordingly show vaciety of gray levels. Figure (2) shows that the exposed tocks in the study area show various degrees of gray tones scale ranging from nearly white for wadi deposits to dark gray level for hammamat sediments, because they have different mineralogical composition.



Fig. 1: Location map of study area (Gabal Gattar)



Fig. 2: Landsat Image of Gabal Gattar area, shows the granitic phases of Gattar batholith and its the surrounded rocks

Rakaiby and Shalaby (1992) classified the Gattar granite into three granitic phases slightly different in their mineralogical composition, they are from younger G1, G2 and G3. They also different in their surface textures, relief, trends and density of faults, fractures and dykes. There are contacts between the three phases of granite of the batholiths. Field work and satellite image (Fig. 2) observations indicate that, the area has been subjected to multiphase deformation, due to a complex sequence of successive tectonic events. These phases are reflected on the G. Gattar batholith through a high density of faults and joints in different trends, depending on the causative stress tensors and the strength properties of granite material.

Lineaments analysis is carried out on 502 fracture lineaments interpreted from the landsat image (Fig. 2). The analysis of the lineaments numbers is summarized in Table (1) and represented on the rose diagram (Table 1) Geom. distr. The lineaments can be arranged according to their numbers in decreasing order as follows, Haridy, M. M. (2002):

NE-SW, ENE-WSW, N-S, NNW-SSE, NW-SE, NNE-SSW, E-W and WNW-ESE.

## Results After Applying Edge Operators On The Satellite Image Of G. GATTAR

Figure (3) shows the gray scale image of the study area, where the Raafat filter and the

 Table 1 : Analysis of photo-lineaments trends
 in Gabal Gattar batholith

Order	Trends	Number	Number %	, Julie
1	NE-SW	214	42.6	Total Number=502
2	ENE-WSW	113	22.5	W-FE
3	N-S	52	10.3	J E
4	NNW-SSE	34	6.8	
5	NW-SE	32	6.4	s
6	NNE-SSW	29	5.8	Geometrical distribution
7	E-W	19	3.8	of lineaments
8	WNW-ESE	9	1.8	
Total		502	100%	



Fig. 3 : Gray Scale of Satellite Image of Gabal Gattar area

other filters were applied, while Figure (4), represents the results of applying the different edge operators on the landsat image of G. Gattar pluton batholith.

Comparing between the resulted images shows that, the edges enhancement using Raafat filter on the satellite image of G. Gattar is more evident and clearly obvious than the enhancement of the other filters. Raafat edge detector defined well the rock edges and boundaries between different rock types and become the efficient one among all other detectors used in comparison.

## CONCLUSIONS

Figure (4) shows the results of application of edge enhancement techniques of the landsat image of G. Gattar, using Sobel, Roberts, Prewitt, Canny, Laplacian (Log) filters, as well as the Raafat filter, the following are the major characteristics of the enhanced images:

1-Sobel, Prewitt and Canny operators enhanced the vertical and horizontal lineaments.

2-Roberts operator enhanced the diagonal



Results after applying the Log filter

Fig. 4 : Edge Enhancement Images of Gabal Gattar

Results after applying the Canny filter

lineaments, while Log operator enhanced the corner between lineaments.

3-The Raafat operator enhanced the curved lineaments accordingly pottery the Gattar batholith very well than the other filters.

4-The edge enhanced features are dissected and very curded in images of Canny and Log filters, according become difficult to interpret lineaments of different directions.

5-The edge enhanced features in Sobel and Prewitt, shows the ENE trend more obvious than other trends.

6-The edge enhanced features in Roberts are poorly identified.

7-The Raafat filter used  $5 \times 5$  window, while the other filters used  $3 \times 3$  window except Roberts filter used  $2 \times 2$  window.

8-Geological contact between Gattar granite phases (G1 and G2) is easy to identified in the Raafat operator, while this contact is unclear in images of the other filters.

9-The enhanced lineaments in image of the Raafat filter are very clear, continuous, and sharply clear than these features enhanced by other filters.

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## تحديد الحواف لصور الاقمار الصناعية بواسطة تصميم فلتر: دراسة مقارنة

ر أفت محروس محمد, احمد ابر اهيم كامل

يهتم معظم مفسري الصور الفضائية بتحديد الميزات الخطية في الصور. لاستخدام الصور الفضائية في الاغراض الجيولوجية، يجب الاهتمام بتفسير كافة الصدوع، الملامح المميزة، ومواضع التلامس. يتناول هذا العمل تقنيات الكشف عن حواف صور الأقمار الصناعية. تحدث الحواف عادة على الحدود بين منطقتين مختلفتين في صورة ما الكشف عن الحواف هو أداة أساسية في معالجة الصور، وتحليل الصور، والتعرف على نمط صورة، لاسيما في مجالات الكشف عن ميزة واستخراج ميزة. الكشف عن الحافة هو اسم لمجموعة من الطرق الرياضية التي تهدف إلى تحديد نقاط في صورة الأقمار الصناعية التي يتغير سطوع الصورة بشكل حاد، أو تحديدا عندما تحدث انقطاعات. ميزات مهمة يمكن استخلاصها من حواف صورة (على سبيل المثال، زوايا والحدود الجيولوجية، خطوط، منحنيات). هذاالعمل يقدم تقنية كشف جديدة عن طريق تصميم فلتررقمي ثنائي الأبعاد والتي يتم بها ايجاد حواف صورة الأقمار الصناعية وتم تطبيق الفلتر على جبل جتار متعدد الجرانيت لتحسين الحدود بين الجرانيت والصخور المحيطة بها من جهة، ومن جهة أخرى تحسين شكل الكتل الجرانيتية، والصدوع الموجودة بالصورة، وكذلك السدود والكسور التي تقطعها. تمت مقارنة الفلتر المقترح مع طرق الكشف المعروفة عن الحواف مثل فلتر (سوبل، روبرتس، بريويت، كاني وجاوس). وكشفت هذه الدراسة أن الفلتر المقترح (رأفت فلتر) قدم حواف أكثر وضوحا من الفلاتر الآخري.